

2. If the width of the sandbox was to decrease and the area was to remain 200 square feet, how would the length change?

* Solve $P = 2l + 2w$ for l

* 1. If you have 100 feet of lumber to construct the sides of a sandbox, and the width is set at 25 feet, how long can the sandbox be?

$$100 = P$$

$$25 = w$$

* 2. If the width of the sandbox was to increase, but the perimeter was to remain at 100 feet, how would the length have to change?

Length would decrease

$$\begin{array}{r} P = 2l + 2w \\ - 2w \quad - 2w \\ \hline \end{array}$$

$$\frac{P}{2} - \frac{2w}{2} = \frac{2l}{2}$$

$$\boxed{\frac{P}{2} - w = l}$$

P - Perimeter

l - length

w - width

$$\frac{100}{2} - 25 = l$$

$$50 - 25 = l$$

$$25 = l$$

$$\frac{100}{2} - w = l$$

Inc from 25

$$50 - 35 = l$$

$$15 = l$$

Solve $V = lwh$ for w

1. In designing a box to have a volume of 500 cm³, length 10, and height 15, what is the width?

2. If the volume of the box was to increase, but the length and height were to remain unchanged, how would the width have to change? width would increase

$$\frac{V}{lh} = \frac{lwh}{lh}$$

$$\boxed{\frac{V}{lh} = w}$$

V : Volume

$$\begin{aligned} V &= 500 \\ l &= 10 \\ h &= 15 \end{aligned}$$

$$\frac{500}{10(15)} = w$$

$$\frac{500}{150} = w$$

$$\boxed{3\frac{1}{3} = w}$$

$$\begin{aligned} l &= 10 \\ h &= 15 \\ V &= 600 \end{aligned} \quad \begin{aligned} \frac{600}{10(15)} &= w \\ \frac{600}{150} &= w \end{aligned} \quad w = 4$$

Solve $A = \frac{1}{2}bh$ for h

a. If a triangle has an Area of 100 cm² and a base of 20 cm what will the height of the be.

$$(2) A = \frac{1}{2}bh$$

$$\frac{2A}{b} = \frac{bh}{b}$$

$$\boxed{\frac{2A}{b} = h}$$

$$\rightarrow \frac{2(100)}{20} = h$$

$$h = \frac{200}{20} = 10$$

Area of a Δ

A = Area

b = base

h = height

Solve $A = \frac{1}{2}h(b_1 + b_2)$ for b_2

a. If a trapezoid has an area of 200 cm², a height of 10 cm, and a base of 5 cm, how big must the other base be.

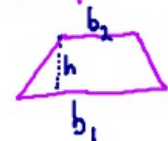
$$(2) A = \frac{1}{2}h(b_1 + b_2)$$

$$2A = hb_1 + hb_2$$

$$-hb_1 \quad -hb_1$$

$$\frac{2A - hb_1}{h} = \frac{hb_2}{h}$$

Area of a Trapezoid



$$\boxed{\frac{2A}{h} - b_1 = b_2}$$

$$\frac{2(200)}{10} - 5 = b_2$$

$$40 - 5 = b_2$$

$$35 = b_2$$